

YANKEE BUSH SOFTWARE LLC



Low Pass & High Pass Filter Design

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Take

Com
 $s(n)$.
rand

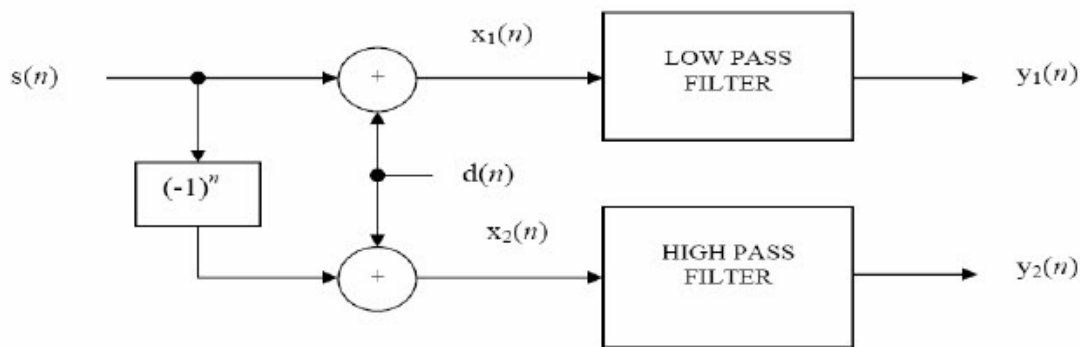
$s(n)$

Problem Description

Take a block of length $L = 1000$ from the sequence,

$$s(n) = 0.4^n [\cos(\pi n/4) + \sin(3\pi n/4)]u(n)$$

Configure the following system to pass a select band of frequencies from the sequence $s(n)$. Here, $u(n)$ is the unit step sequence and $d(n)$ is a sequence drawn from uniform random noise lying between $[-1, 1]$.



Design the filters to achieve the following:

1. Pass frequencies in the range from $[0, \frac{\pi}{3}]$ using the lowpass filter
2. Pass frequencies in the range from $[\frac{\pi}{2}, \pi]$ using the highpass filter

Plot the following sequences.

1. $s(n)$, $d(n)$, $y_1(n)$, $y_2(n)$: length of each sequence = 1000
2. $S(k)$, $D(k)$, $Y_1(k)$, $Y_2(k)$: 1024-point DFT of each sequence (magnitude, phase)

Matlab(R) Source Code

```
clc;

clear all;

% unit step function
u=ones(1000,1);

% input sequence
for n=1:1000

    
$$s(n)=0.4^n * (\cos(\pi * n/4) + \sin(3 * \pi * n/4)) * u(n);$$


end

% noise sequence
d=randn(1,1000);

%d2=randsrc(1,1000,[-1,1]);

x1=d+s;

%x2=d2+s;

% butterworth    low pass filter design
[n,w]=buttord(0.3,0.4,4,60);

[b a]=butter(n,w);

y1=filter(b,a,x1);

%freqz(b,a);

for n=1:1000

    
$$xx(n)=((-1)^n) * s(n);$$


end xx2=xx+d;
```

%high pass filter design

[nh wh]=buttord(0.5,0.12,4,60);

[b a]=butter(nh,wh);

y2=filter(b,a,xx2);

%freqz(b,a);

% plotting of sequences s(n),y1(n),y2(n),d(n)

figure(1)

plot(s);

title('input sequence s(n)');

xlabel('length of sequence');

ylabel('magnitude');

hold on;

figure(2)

plot(d);

title('noise sequence');

xlabel('length of sequence');

ylabel('magnitude');

hold on;

figure(3) plot(y1)

title('low pass filtered output sequence y1(n)');

xlabel('length of sequence');

```

ylabel('magnitude');

hold on;

figure(4)

plot(y2)

title('high pass filtered sequence y2(n)');

xlabel('length of sequence');

ylabel('magnitude');

hold on;

% calculation of 1024 point dft of sequences s(n),y1(n),y2(n),d(n) and

% plotting of magnitude and phase plot of dft sequences

% input sequence sk=fft(s,1024);

pss= sk.*conj(sk)/1024; f = 1000*(0:512)/1024;

figure(5)

plot(f,pss(1:513))

title('Frequency content of s')

xlabel('frequency (Hz)')

hold on;

psk = unwrap(angle(sk));

f1 = (0:length(sk)-1)'/length(sk)*1000;

figure(6)

plot(f1,psk)

```

```

title('phase plot s')

ylabel('phase (radian)')

hold on;

% noise sequence

dk=fft(d,1024);

dss=dk.*conj(dk)/1024;

figure(7)

plot(f,dss(1:513))

title('Frequency content of d')

xlabel('frequency (Hz)')

hold on;

dsk = unwrap(angle(dk));

f1 = (0:length(dk)-1)/length(dk)*1000;

figure(71)

plot(f1,dsk)

title('phase plot d')

ylabel('phase (radian)')

hold on;

% low pass filtered output

y1(n) y1k=fft(y1,1024);

Py1 = y1k.* conj(y1k) / 1024;

p = unwrap(angle(y1k));

```

```
f = 1000*(0:512)/1024;

figure(8)

plot(f,Py1(1:513))

title('Frequency content of y1')

xlabel('frequency (Hz)')

hold on;

f1 = (0:length(y1k)-1)/length(y1k)*1000;

figure(9)

plot(f1,p)

title('phase plot y1')

ylabel('phase (radian)')

hold on;

% high pass filtered output

y2k=fft(y2,1024);

Py2 = y2k.* conj(y2k) / 1024;

p2 = unwrap(angle(y2k));

f = 1000*(0:512)/1024;

figure(10)

plot(f,Py2(1:513))

title('Frequency content of y2')

xlabel('frequency (Hz)')

hold on;
```

```
f1 = (0:length(y2k)-1)/length(y2k)*1000;
```

```
figure(11)
```

```
plot(f1,p2)
```

```
title('phase plot y2')
```

```
ylabel('phase (radian)')
```

```
xlabel('frequency(Hz)');
```

```
hold on;
```

```
hold off;
```

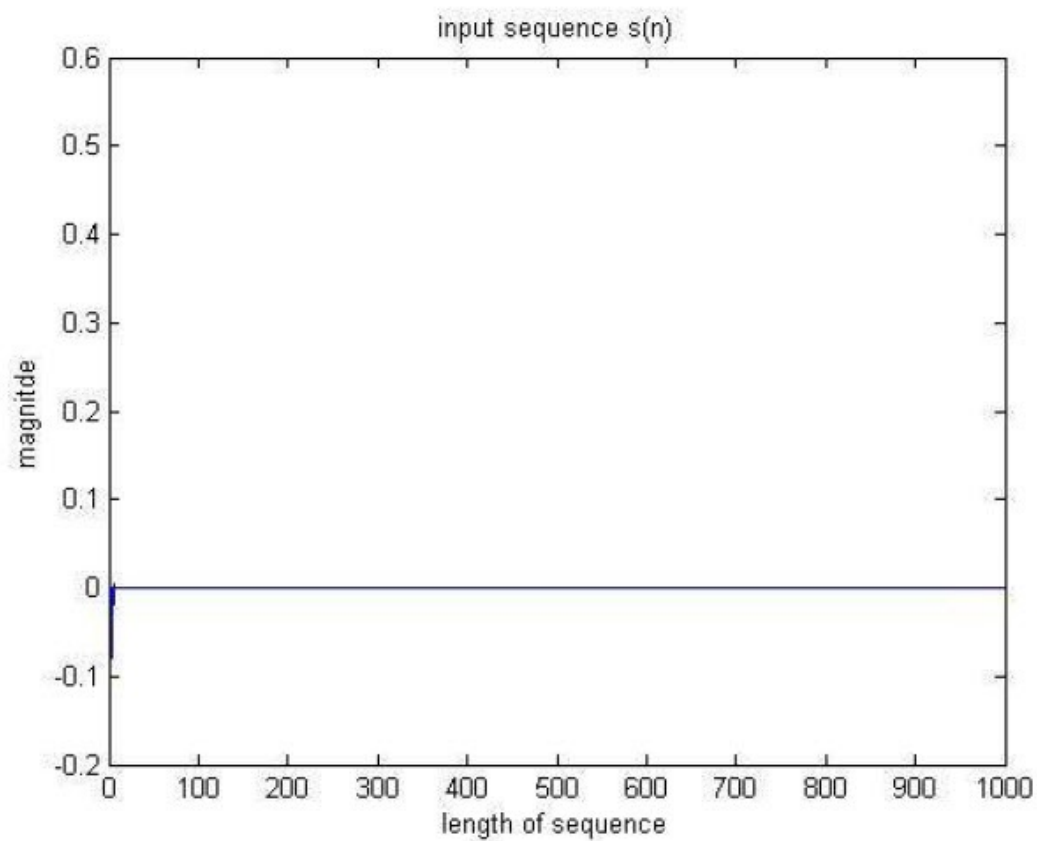

INP

magnitude

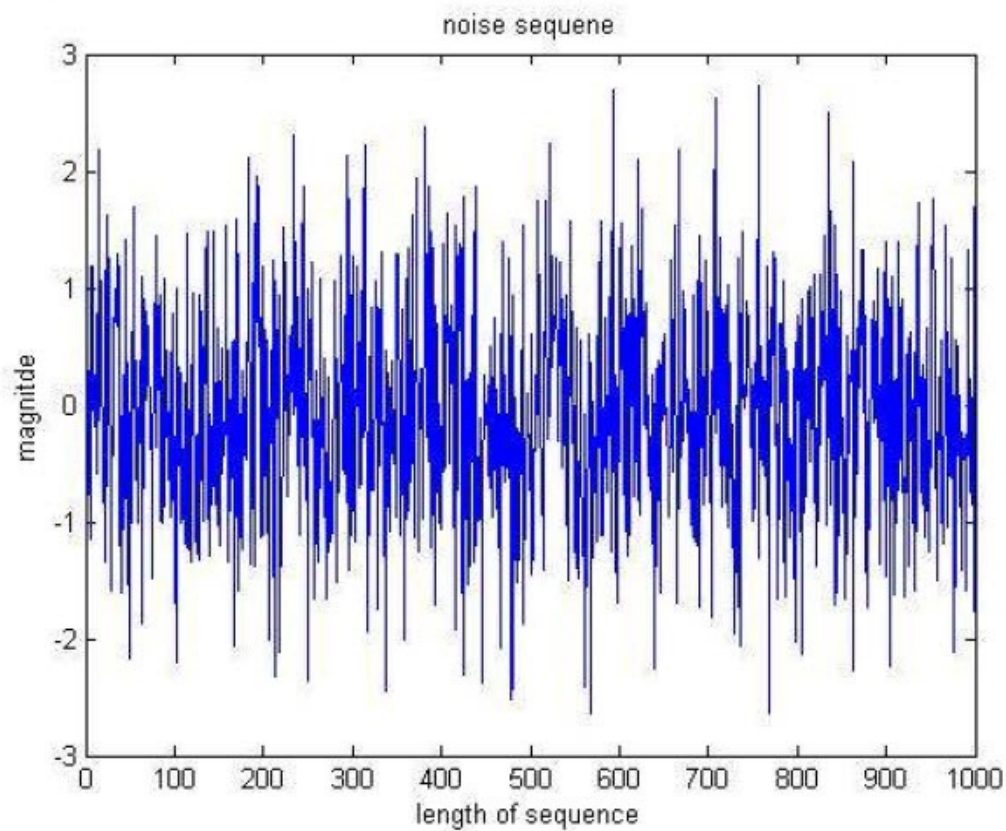
Simulations

Nois

INPUT SEQUENCE $s(n)$ (length of input sequence = 1000)

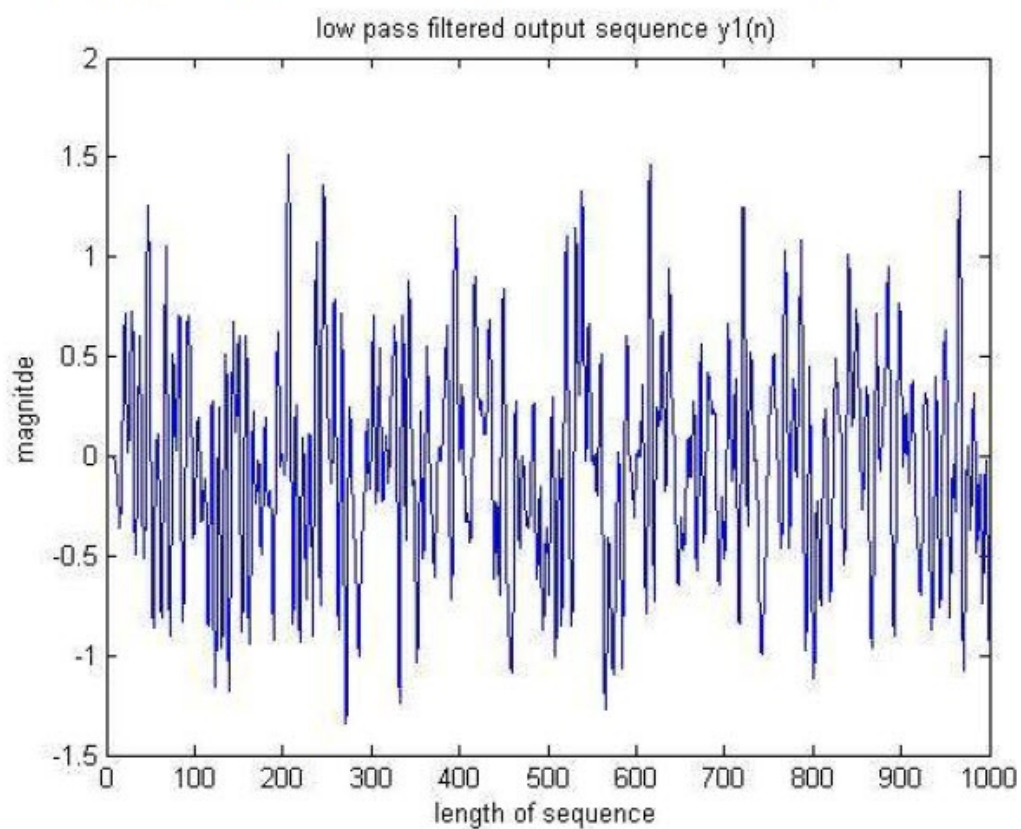


Noise Sequence (length of sequence = 1000)



$Y1(n)$ (length of sequence = 1000)

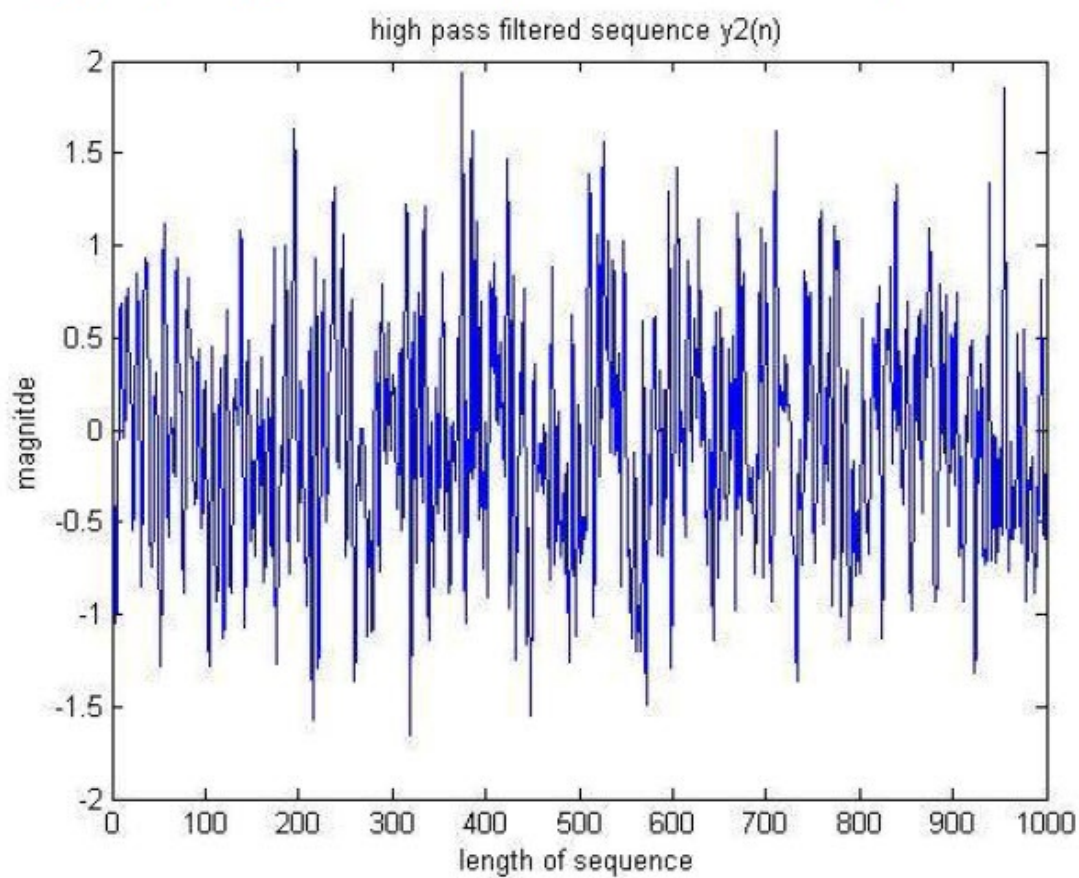
$Y2$



magnitude

Y2(n) (length of sequence =1000)

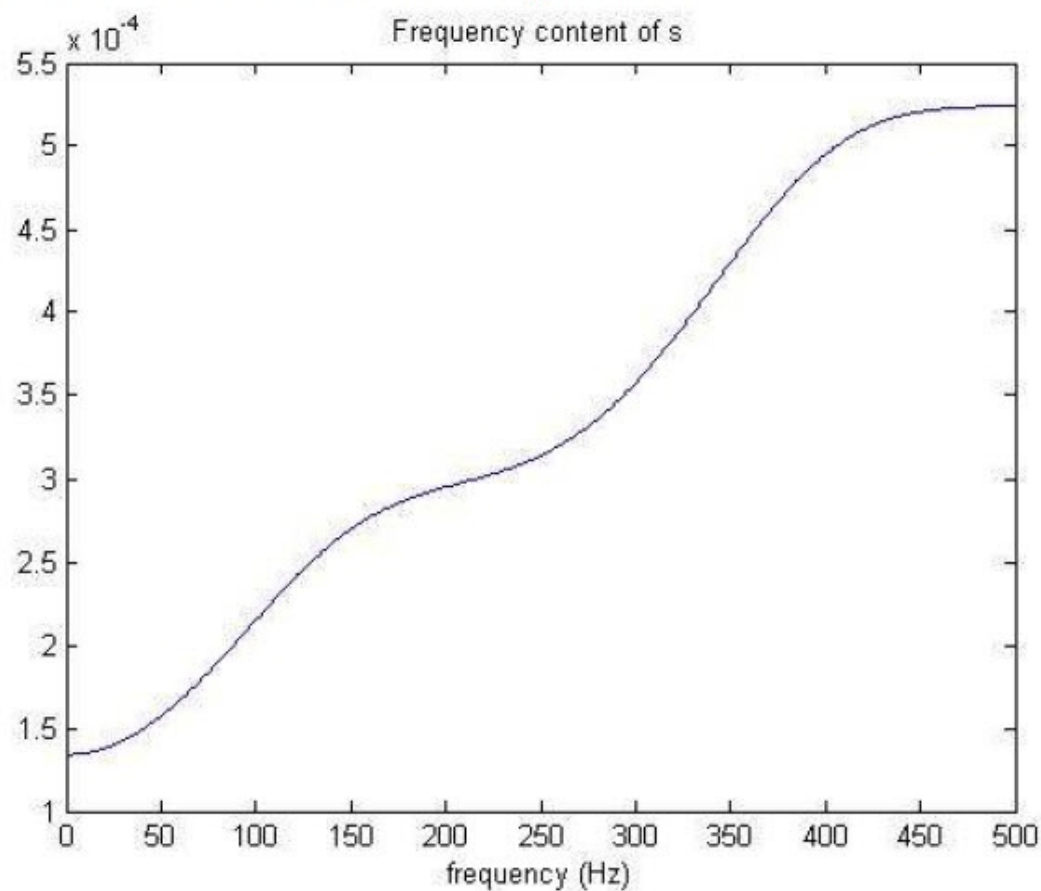
(M
:10



(Magnitude) Frequency Content of S

:1024 DFT of each sequence

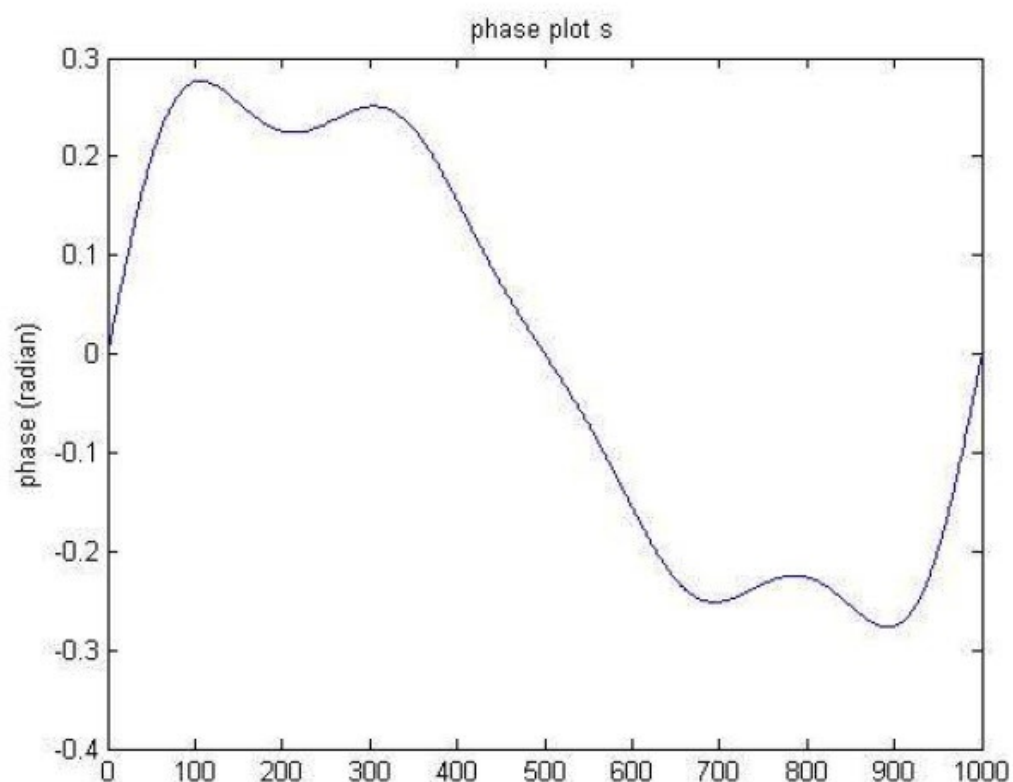
Ph



phase (radian)

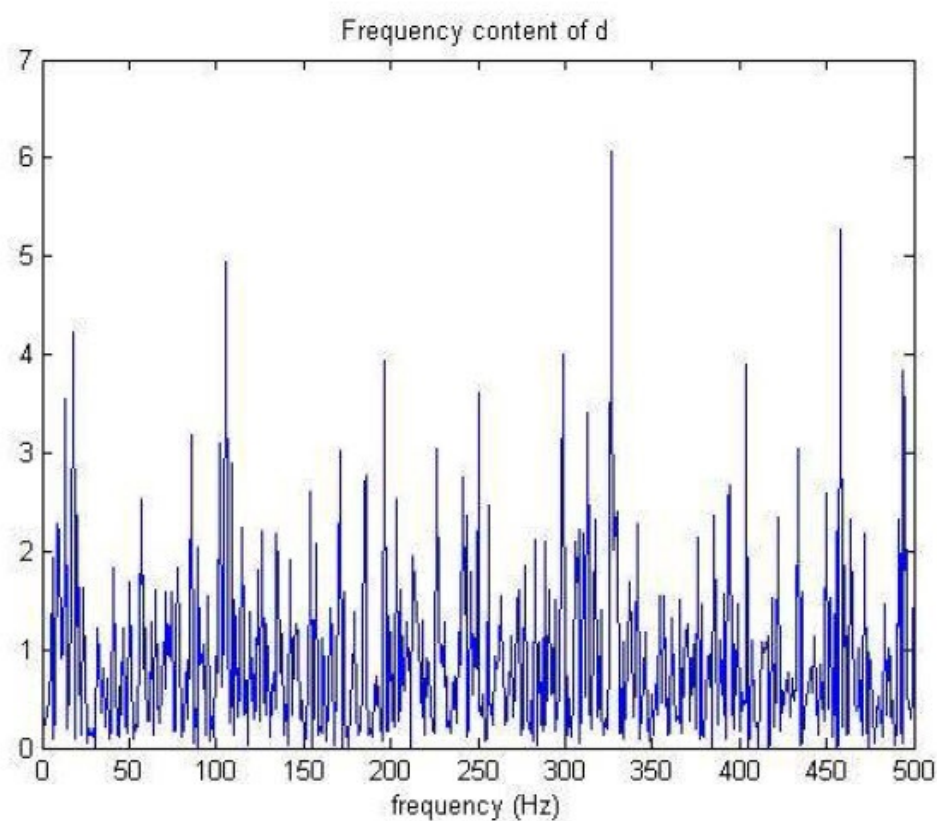
Phase Plot of S:1024 DFT of each sequence

(M
DF

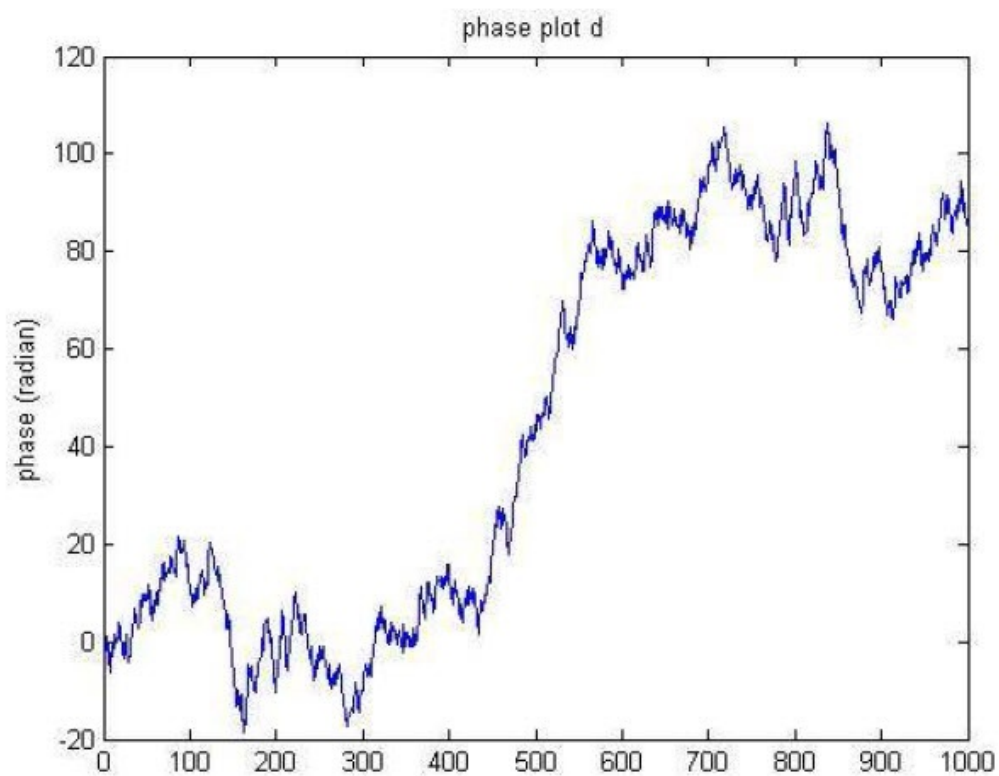


(Magnitude)Frequency Content of D:1024 DFT of each sequence

Pl

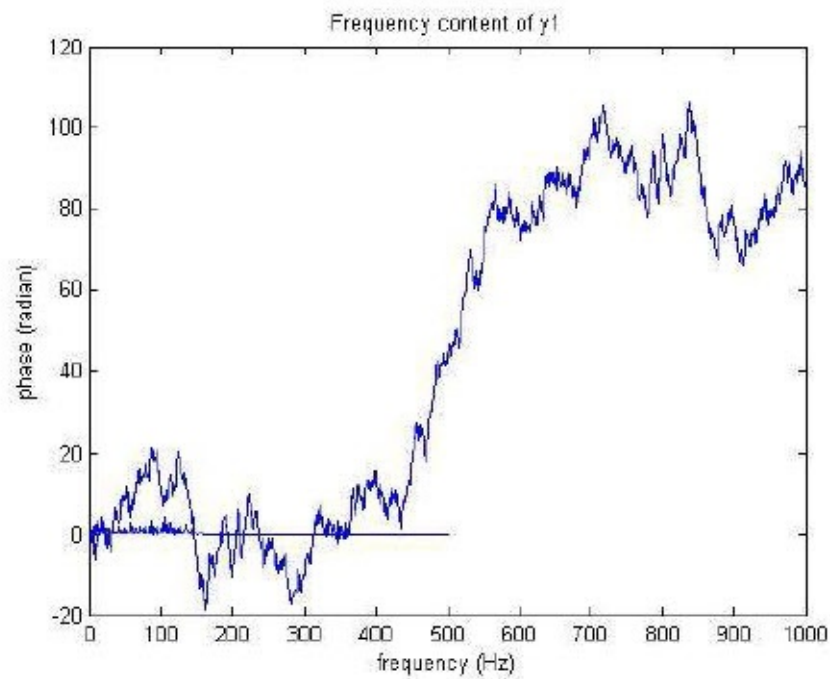


Phase Plot of D:1024 DFT of each sequence



(Magnitude)Frequency Content of y1:1024
DFT of each sequence

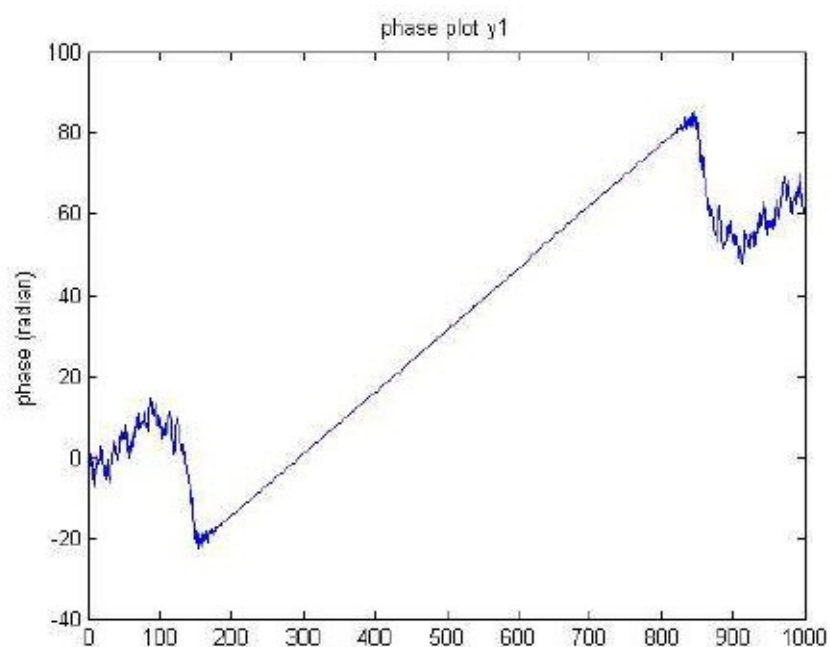
Pha
seq



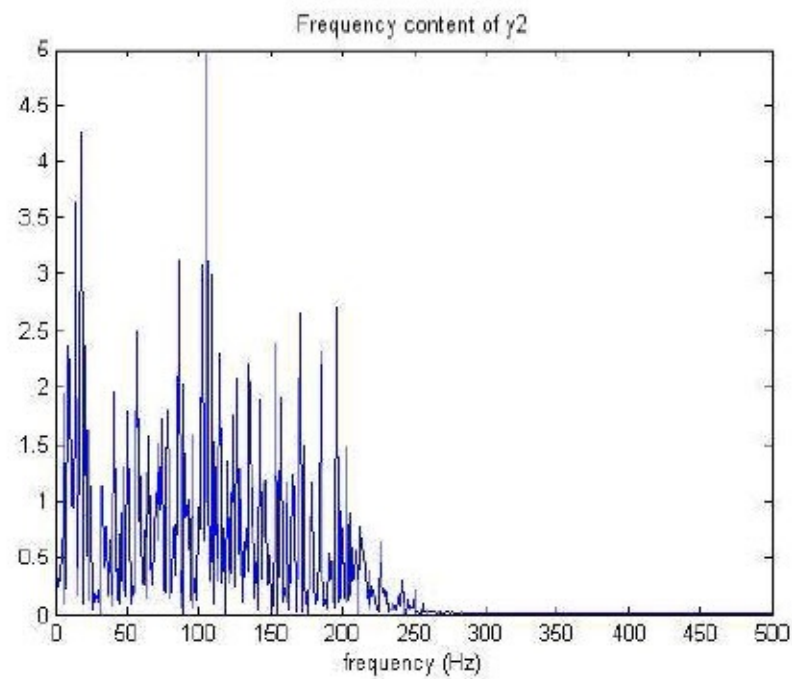
phase (radian)

Phase Plot of y1:1024 DFT of each sequence

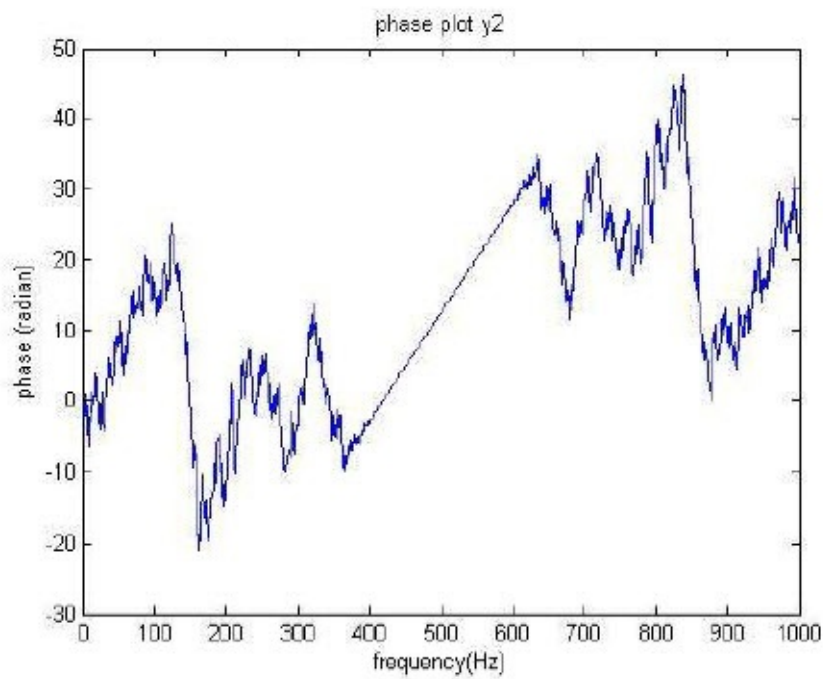
(1)
D



(Magnitude)Frequency Content of y2:1024
DFT of each sequence



Phase Plot of y2:1024 DFT of each sequence



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